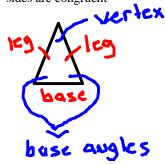
Classifying Triangles

Classifying Triangles By Sides

Scalene - No sides are congruent



Isosceles - At least two sides are congruent



Equilateral - All sides are congruent



Classifying Triangles By Angles

Acute - All angles are acute

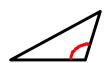
Right - One angle is right

Obtuse - One angle is obtuse

Equiangular - All angles are congruent









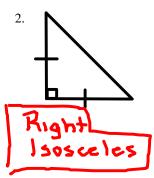
Directions: Classify the triangle by its angles and by its sides.

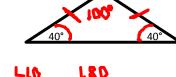
1. 63° 54°

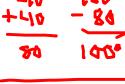




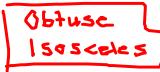


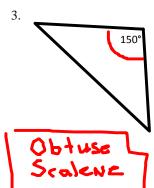


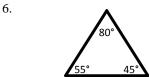




5.









7. An isosceles triangle is **Sometimes** an equilateral triangle.



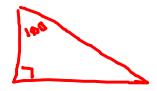
8. An obtuse triangle is _______an isosceles triangle.



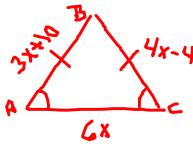
9. The acute angles of a right triangle are ______ complementary.



10. A triangle has a right angle and an obtuse angle.

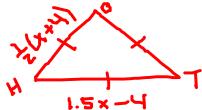


11. $\triangle ABC$ is an isosceles triangle and $\angle B$ is the vertex. Find the length of each side if AB = 3x + 10, BC = 4x - 4 and AC = 6x.



$$AB = 3 \times + 10 = 3 (14) + 10 = 42 + 10 = 52$$
 $BC = 4 \times - 4 = 4(14) - 4 = 56 - 4 = 52$
 $AC = 6 \times = 6 (14) = 84$

12. $\triangle HOT$ is an equilateral triangle. Find the length of each side if $HO = \frac{1}{2}(x+4)$ and HT = 1.5x-4.



$$H0 = HT$$
 $\frac{1}{2}(x+4) = 1.5x-4$
 $\frac{1}{2}(1.5x-4) = x+4$
 $\frac{1}{2}(1.5x-4) =$

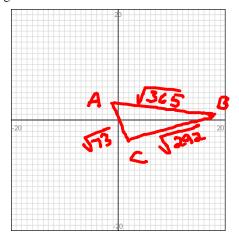
13. If A(-1,3), B(18,1) and C(2,-5), determine if $\triangle ABC$ is a right triangle.

$$d = \sqrt{(18 - 1)^2 + (1 - 3)^2}$$

$$= \sqrt{(14)^2 + (-2)^2}$$

$$= \sqrt{361 + 4}$$

$$= \sqrt{365}$$



AC: AC-1,3)
$$C(a,-5)$$

 X_1, Y_1, X_2, Y_2
 $d \in \sqrt{(2-1)^2 + (-5-3)^2}$
 $= \sqrt{(3)^2 + (-5)^2}$
 $= \sqrt{9 + 64}$
 $= \sqrt{73}$

$$= \sqrt{342}$$

$$= \sqrt{(-6)^2 + (-16)^2}$$

$$= \sqrt{242}$$

$$AB = \sqrt{3} \cdot 5$$

$$AC = \sqrt{73}$$

$$BC = \sqrt{392}$$

$$BC = \sqrt{392}$$

$$BC = \sqrt{392}$$

$$a^{2} + b^{2} = c^{2}$$

$$(\sqrt{1292})^{2} + (\sqrt{73})^{2} = (\sqrt{345})^{2}$$

$$292 + 73 = 345$$

ABC is a right
$$\Delta$$